

Semester End Examination, October, 2021

| Degree | B. Tech. (U. G.) | Program | CE/ME/CSE/CSM/CSD | Academic Year | 2020-2021 |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: |
| Course Code | 20ESX05 | Test Duration | 3 Hrs. | Max. Marks | 70 | Semester |
| Course | Basic Electrical and Electronics Engineering |  | II |  |  |  |

Part A (Short Answer Questions $5 \times 2$ = 10 Marks)

| No. | Questions (1 through 5) | Learning Outcome (s) | DoK |
| :---: | :--- | :--- | :---: |
| 1 | What is meant by unilateral and bilateral circuit? | 20 ESX05.1 | L1 |
| 2 | List and give the applications of different types of DC machines | $20 \mathrm{ESX05.2}$ | L2 |
| 3 | Define regulation of alternator | 20 ESX05.3 | L1 |
| 4 | Define operation of a single phase transformer | 20 ESX05.4 | L1 |
| 5 | What is bridge rectifier? | 20 ESX05.5 | L1 |

Part B (Long Answer Questions $5 \times 12=60$ Marks)

| No. Questions (6 through 15) Marks Learning Outcome (s) | DoK |
| :--- | :--- | :--- | :--- |


6 (b) Derive star-delta and delta-star transformations $\quad$ 6M $\quad$ 20ESX05.1 $\quad$ L3

| OR |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 7 (a) | Classify different types of network elements | 6M | 20ESX05.1 | L2 |
| 7 (b) | In the circuit shown in figure, find the current through $8 \Omega$ branch | 6M | 20ESX05.1 | L3 |

8 Explain principle of operation and construction of DC generator

| 12M | 20ESX05.2 | L2 |
| :---: | :---: | :---: |
| $6 M$ | $20 E S X 05.2$ | L2 |
| $6 M$ | $20 E S X 05.2$ | L2 |

A 3-phase star connected alternator is rated at 100 kVA . On shortcircuit a field current of 50 amp gives the full load current. The e.m.f. generated on open circuit with the same field current is 1575 V/phase. Calculate the voltage regulation at (a) 0.8 power factor lagging, and (b) 0.8 power factor leading by synchronous impedance method. Assume armature resistance is $1.5 \Omega$

OR

| 11 (a) | Explain principle of Operation of 3- $\Phi$ induction motor with neat sketches | 6M | 20ESX05.3 | L3 |
| :---: | :---: | :---: | :---: | :---: |
| 11(b) | Explain Speed-Torque Characteristics of 3- $\Phi$ induction Motor with neat sketches | 6M | 20ESX05.3 | L3 |
| 12 | Explain the construction features of single phase transformer | 12M | 20ESX05.4 | L2 |
| OR |  |  |  |  |
| 13 | Conduct OC and SC test on a single phase transformer | 12M | 20ESX05.4 | L2 |
| 14 | Explain characteristics of operation amplifiers (OP-AMP) in brief | 12M | 20ESX05.5 | L2 |


| OR |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| 15(a) | What are the applications of OP-AMP? | 6 M | 20ESX05.5 | L2 |
| 15(b) | Explain operation and characteristics of zener diode | 6 M | $20 \mathrm{ESX05.5}$ | L2 |


| 12 (a) | Write a C program to maintain a book structure containing name, author and pages as structure members. Pass the address of structure variable to a user defined function and display the contents | 6M | 20ESX02.4 | L2 |
| :---: | :---: | :---: | :---: | :---: |
| 12 (b) | Define a structure called complex consisting of two floating point numbers $x$ and $y$ and declare a variable $p$ of type complex. Assign initial values 0.0 and 1.1 to the members | 6M | 20ESX02.4 | L2 |
| OR |  |  |  |  |
| 13 | Compare the differences between structure and union. Explain usage of structure in terms of definition, declaration and accessing members with syntax and example | 12M | 20ESX02.4 | L2 |
| 14 | With syntax and example describe the following file handling functions a. fopen() b. fclose() c. fread() d. fwrite() e. fscanf() f. fprintf() | 12M | 20ESX02.5 | L2 |
| OR |  |  |  |  |
| 15 (a) | Describe pre-processor directives | 6M | 20ESX02.5 | L2 |
| 15 (b) | Write a program for adding two integers and display the sum by taking input through command line arguments | 6M | 20ESX02.5 | L2 |

$\left.\begin{array}{l|l|l|l|l|l|c|}\hline \text { Degree } & \text { B. Tech. (U. G.) } & \text { Program } & \text { CE } & & \text { Academic Year } & \text { 2020-2021 } \\ \hline \text { Course Code } & \text { 20CE201 } & \text { Test Duration } & \text { 3 Hrs. } & \text { Max. Marks } & 70 & \text { Semester }\end{array}\right]$ II

Part A (Short Answer Questions $5 \times 2=10$ Marks)

| No. | Questions (1 through 5) | Learning Outcome (s) | DoK |
| :---: | :--- | :--- | :--- |
| 1 | What is meant by quarrying of stone? | 20CE201.1 | L1 |
| 2 | Define seasoning of timber | 20CE201.2 | L1 |
| 3 | What are the advantages of cavity walls? | 20CE201.3 | L1 |
| 4 | Give any four reasons for dampness in a building | 20CE201.4 | L1 |
| 5 | Classify aggregates based on shape | 20CE201.5 | L1 |

Part B (Long Answer Questions $5 \times 12=60$ Marks)
No. Questions (6 through 15)
6 (a) What are steps involved in manufacture of bricks and explain briefly Explain the composition of good brick earth? Mention in
6 (b) detail the functions of ingredients of brick earth including harmful ingredients

OR
7 (a) What are the characteristics of good tiles explain them briefly?
7 (b) Illustrate the Applications \& uses of the materials like Aluminum and Bituminous\& Steel

| Marks | Learning Outcome (s) | DoK |
| :---: | :---: | :---: |
| 6 M | 20CE201.1 | L2 |
| 6M | 20 CE 201.1 | L2 |


| OR |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 7 (a) | What are the characteristics of good tiles explain them briefly? | 6M | 20CE201.1 | L2 |
| 7 (b) | Illustrate the Applications \& uses of the materials like Aluminum and Bituminous\& Steel | 6M | 20CE201.1 | L2 |
| 8 (a) | Define Energy efficient building materials and what are the applications of Geosynthetics and recycled steel? | 6M | 20CE201.2 | L1 |
| 8 (b) | Mention the different types defects in Timber | 6M | 20CE201.2 | L1 |
| OR |  |  |  |  |
| 9 (a) | Describe the applications of (i) cavity wall (ii) partition wall | 6M | 20CE201.2 | L1 |
| 9 (b) | Write about low carbon material like Blended cements and compacted fly ash bricks | 6M | 20CE201.2 | L1 |
| 10 (a) | Explain the manufacturing process of lime | 6M | 20CE201.3 | L2 |
| 10 (b) | Explain the manufacturing process of Cement | 6M | 20CE201.3 | L2 |
| OR |  |  |  |  |
| 11 (a) | What are the ingredients of cement explain their functions | 6M | 20CE201.3 | L2 |
| 11 (b) | Classify different types of cement. Explain any four types of cement with applications | 6M | 20CE201.3 | L2 |
| 12 (a) | Explain in detail constituents of paints. Also classify different types of paints | 6M | 20CE201.4 | L2 |
| 12 (b) | Explain in detail the construction of king post and queen post trusses with neat sketch | 6M | 20CE201.4 | L2 |
| OR |  |  |  |  |
| 13 (a) | List out different Damp proofing materials. Also explain the use of all materials | 6M | 20CE201.4 | L2 |


| 13 (b) | Classify different types of floors. Explain the construction process of any four types of floors with neat sketches | 6M | 20CE201.4 | L2 |
| :---: | :---: | :---: | :---: | :---: |
| 14 (a) | Classify the aggregates based on the shape and surface texture. Also explain how these factors affect the performance of concrete | 7M | 20CE201.5 | L2 |
| 14 (b) | Give the detailed classification of aggregates based on geological origin source size and shape texture | 5M | 20CE201.5 | L2 |
| OR |  |  |  |  |
| 15 (a) | Define Fine Modulus of Aggregate? Explain the detailed test process to calculate the fine modulus of fine aggregate | 6M | 20CE201.5 | L2 |
| 15 (b) | What is the importance of specific gravity aggregate? Mention the testing process to determine its character | 6M | 20CE201.5 | L2 |

## Semester End Examination, October, 2021

| Degree | B. Tech. (U. G.) | Program | CSE,CSM \& CSD |  | Academic Year | 2020-2021 |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: |
| Course Code | 20EC203 | Test Duration | 3 Hrs. | Max. Marks | 70 | Semester |
| Course | Digital logic Design |  |  |  |  | II |


| Part A (Short Answer Questions $5 \times 2=10$ Marks) |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| No. | Questions (1 through 5) |  | Learning Outcome (s) | DoK |
| 1 | Find the value of x for $(225)_{\mathrm{x}}=(341)_{\text {\% }}$. |  | 20EC203.1 | L1 |
| 2 | State and prove Demorgan's theorems |  | 20EC203.2 | L1 |
| 3 | Write the steps involved in the design of a combinational circuit |  | 20EC203.3 | L1 |
| 4 | Write a short note on PROM |  | 20EC203.4 | L1 |
| 5 | Write a note on asynchronous counter |  | 20EC203.5 | L1 |
| Part B (Long Answer Questions $5 \times 12=60$ Marks) |  |  |  |  |
| No. | Questions (6 through 15) | Marks | Learning Outcome (s) | DoK |
| 6 (a) | Convert the following (i) $\mathrm{AB}_{16}=()_{10}$ (ii) $1234_{8}=()_{10}$ <br> (iii) $772_{10}=()_{16}$ | 6M | 20EC203.1 | L2 |
| 6 (b) | Perform the given subtraction using 1's and 2's complement methods: (10110) $)_{2}(1101101)_{2}$ | 6M | 20EC203.1 | L2 |
| OR |  |  |  |  |
| 7 (a) | Use the 15 's complement method of subtraction to compute B02 ${ }_{16}-98 \mathrm{~F}_{16}$ | 6M | 20EC203.1 | L2 |
| 7 (b) | Convert the following binary 1011101 into gray code. Convert the following gray code 110011 into its equivalent binary | 6M | 20EC203.1 | L2 |
| 8 (a) | Simplify the following expression $\begin{aligned} & \text { (i) } Y=(A+B)\left(A^{\prime}+C\right)\left(B^{\prime}+C^{\prime}\right) \\ & \text { (i) } Y=X Y+X Y Z+X Y Z^{\prime}+X^{\prime} Y Z \end{aligned}$ | 6M | 20EC203.2 | L2 |
| 8 (b) | Solve the given expression using consensus theorem $A^{\prime} B^{\prime}+A C+B C^{\prime}+B^{\prime} C+A B$ | 6M | 20EC203.2 | L2 |
| OR |  |  |  |  |
| 9 (a) | Convert the given expression in canonical SOP form $f(A, B, C)=A C+A B+B C$ | 6M | 20EC203.2 | L2 |
| 9 (b) | Convert the given expression in canonical POS form $f(A, B, C)=(A+B)(B+C)(A+C)$ | 6M | 20EC203.2 | L2 |
| 10 (a) | Design the full adder using two half adders | 6M | 20EC203.3 | L6 |
| 10 (b) | Design a 4-bit carry look ahead adder circuit | 6M | 20EC203.3 | L6 |
| OR |  |  |  |  |
| 11 (a) | Design 1:8 Demultiplexer using two 1:4 Demultiplexers. | 6M | 20EC203.3 | L6 |
| 11 (b) | Design and draw the circuit for 3- to-8 decoder and explain | 6M | 20EC203.3 | L6 |
| 12 (a) | Show and implement the following function using a PROM $\begin{aligned} \mathrm{F}(\mathrm{w}, \mathrm{x}, \mathrm{y}, \mathrm{z}) & =\sum \mathrm{m}(1,9,12,15) \\ \mathrm{G}(\mathrm{w}, \mathrm{x}, \mathrm{y}, \mathrm{z}) & =\sum \mathrm{m}(0,1,2,3,4,5,7,8,10,11,12,13,14,15) \end{aligned}$ | 6M | 20EC203.4 | L2 |
| 12 (b) | Explain the Conversion of SR flip-flop to T-flip-flop | 6M | 20EC203.4 | L2 |

Show and Implement the following circuit with a PLA having 3

13 (a) inputs,3 product terms and two outputs $\begin{aligned} & \mathrm{F} 1=\sum \mathrm{m}(3,5,7) \quad \mathrm{F} 2=\sum \mathrm{m}(4,5,7)\end{aligned}$

| 13 (b) Explain about master-slave flip-flop in detail | 6M | 20EC203.4 | L2 |
| :--- | :--- | :--- | :--- |


| 14 (a) | Explain Finite State Machine and its two types | 6M | 20EC203.5 | L2 |
| :--- | :--- | :--- | :--- | :--- |

14 (b)
Define State Diagram and explain in terms of mealy and moore circuit with an example

6M
OR
Illustrate and obtain the reduced state table and reduce state diagram for the sequential whose sate diagram

15 (a)

15 (b)
Show the design of a clocked sequential circuit for the following state diagram


| 12 (a) | Write a C program to maintain a book structure containing name, author and pages as structure members. Pass the address of structure variable to a user defined function and display the contents | 6M | 20ESX02.4 | L2 |
| :---: | :---: | :---: | :---: | :---: |
| 12 (b) | Define a structure called complex consisting of two floating point numbers $x$ and $y$ and declare a variable $p$ of type complex. Assign initial values 0.0 and 1.1 to the members | 6M | 20ESX02.4 | L2 |
| OR |  |  |  |  |
| 13 | Compare the differences between structure and union. Explain usage of structure in terms of definition, declaration and accessing members with syntax and example | 12M | 20ESX02.4 | L2 |
| 14 | With syntax and example describe the following file handling functions a. fopen() b. fclose() c. fread() d. fwrite() e. fscanf() f. fprintf() | 12M | 20ESX02.5 | L2 |
| OR |  |  |  |  |
| 15 (a) | Describe pre-processor directives | 6M | 20ESX02.5 | L2 |
| 15 (b) | Write a program for adding two integers and display the sum by taking input through command line arguments | 6M | 20ESX02.5 | L2 |

## Semester End Examination, October, 2021

| Degree | B. Tech. (U. G.) | Program | CSE/CSM/CSD |  | Academic Year | 2020-2021 |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: |
| Course Code | 20CS201 | Test Duration | 3 Hrs. | Max. Marks | 70 | Semester |
| Course | Data Structures using 'C' |  |  |  |  | II |

## Part A (Short Answer Questions $5 \times 2=10$ Marks)

No. Questions (1 through 5) Learning Outcome (s) DoK
1 Write any four applications of data structure $\quad$ 20CS201.1
2 Sketch the diagram of circular queue 20CS201.2 L1
3 Show the memory representation of Stack using array with the help of a diagram
4 State the following terms: 1. Ancestor 2. Height of Degree 20CS201.4 L1
5 Describe given two types of graphs: Directed and undirected graph 20CS201.5 L1
Part B (Long Answer Questions $5 \times 12=60$ Marks)
$\left.\begin{array}{c|l|l|l|}\hline \text { No. } & \text { Questions (6 through 15) } & \text { Learning Outcome (s) } & \text { DoK } \\ \hline 6 \text { (a) } & \text { Explain Binary search algorithm with an example } & \text { 20CS201.1 } & \text { L2 } \\ \hline 6 \text { (b) } & \text { Write the algorithm for quick sort with an example } & \text { OR } & \text { 20CS201.1 }\end{array}\right)$


| 11 (b) | Explain the implementation of Queue using linked list with necessary <br> algorithm and diagram |
| :--- | :--- |
| 20 20Cs201.3 | L2 |

12 (a) | Define the following a) root node b) leaf node c) level of tree d) child |
| :--- |
| node e)parent node |$\quad$ 20CS201.4 $\quad$ L1 node e)parent node Explain a binary tree for the following values and traverse the tree in

12 (b) preorder, inorder and postorder:
20CS201.4 L2
$46,76,36,26,16,56,96$
OR

| 13 (a) | Write an algorithm for inserting and deleting a node in a binary search | 20 CS 201.4 | L1 |
| :---: | :--- | :--- | :--- |
| 13 (b) | Explain the properties of a binary search tree in detail | 20 CS 201.4 | L2 |
| 14 (a) | Explain Depth First Search algorithm in detail | 20 CS 201.5 | L2 |


| 14 (b) | Explain the Kruskal's algorithm to find the minimum cost spanning tree <br> with an example | 20CS201.5 | L2 |
| :--- | :--- | :--- | :--- |
| 15 (a) | Explain the Prim's algorithm to find the minimum cost spanning tree <br> with an example | 20 CS 201.5 | L2 |
| 15 (b) | Explain Breadth First Search algorithm in detail | 20 CS 201.5 | L2 |


| 12 (a) | Write a C program to maintain a book structure containing name, author and pages as structure members. Pass the address of structure variable to a user defined function and display the contents | 6M | 20ESX02.4 | L2 |
| :---: | :---: | :---: | :---: | :---: |
| 12 (b) | Define a structure called complex consisting of two floating point numbers $x$ and $y$ and declare a variable $p$ of type complex. Assign initial values 0.0 and 1.1 to the members | 6M | 20ESX02.4 | L2 |
| OR |  |  |  |  |
| 13 | Compare the differences between structure and union. Explain usage of structure in terms of definition, declaration and accessing members with syntax and example | 12M | 20ESX02.4 | L2 |
| 14 | With syntax and example describe the following file handling functions a. fopen() b. fclose() c. fread() d. fwrite() e. fscanf() f. fprintf() | 12M | 20ESX02.5 | L2 |
| OR |  |  |  |  |
| 15 (a) | Describe pre-processor directives | 6M | 20ESX02.5 | L2 |
| 15 (b) | Write a program for adding two integers and display the sum by taking input through command line arguments | 6M | 20ESX02.5 | L2 |

## Semester End Examination, October, 2021

\left.| Degree | B. Tech. (U. G.) | Program | CE, EEE \& ME |  |  | Academic Year |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: |
| 2020-2021 |  |  |  |  |  |  |
| Course Code | 20ESX04 | Test Duration | 3 Hrs. | Max. Marks | 70 | Semester |$\right]$ II

## Part A (Short Answer Questions $5 \times 2=10$ Marks)

| No. | Questions (1 through 5) | Learning Outcome (s) | DoK |
| :---: | :--- | :---: | :---: |
| 1 | Define Parallelogram Law | $20 E S X 04.1$ | L1 |
| 2 | Write any four advantages and limitations of friction | $20 E S X 04.2$ | L1 |
| 3 | Differentiate between centroid and center of gravity | $20 E S X 04.3$ | L2 |
| 4 | Define and mention units for velocity of projection | $20 E S X 04.4$ | L1 |
| 5 | Write work-energy equation | $20 E S X 04.5$ | L1 |

## Part B (Long Answer Questions $5 \times 12=60$ Marks)

| No. | Questions (6 through 15) | Marks | Learning Outcome (s) | DoK |
| :---: | :---: | :---: | :---: | :---: |
| 6 (a) | Derive and Explain about Law of Triangular forces | 6M | 20ESX04.1 | L2 |
| 6 (b) | State and prove Lami's theorem | 6M | 20ESX04.1 | L3 |
| OR |  |  |  |  |
| 7 (a) | State and Explain the concept of Equilibrium | 4M | 20ESX04.1 | L2 |
|  | Two spheres each of 1000 N and of radius 25 cm rest in a horizontal channel of width 90 cm as Shown in figure. Find the reaction at the point of Contact $\mathrm{A}, \mathrm{B}$ and C |  |  |  |
| 7 (b) |  | 8M | 20ESX04.1 | L2 |

What is the value of P in the system shown in the figure to cause
the motion to impend? Assume the pulley is smooth and
coefficient of friction between the other two contact surfaces is
0.20

| 9 (a) | A body of weight 200 N is placed on a rough horizontal plane. If the coefficient of friction between the body and horizontal plane is 0.3 , determine <br> a) Horizontal force required to impend motion <br> b) Pull at an angle $30^{\circ}$ to horizontal required to impend motion | 7M | 20ESX04.2 | L2 |
| :---: | :---: | :---: | :---: | :---: |
| 9 (b) | Differentiate between the angle of repose and angle of friction | 5 M | 20ESX04.2 | L3 |
| 10 (a) | Locate the centroid of T - section shown in figure | 7M | 20ESX04.3 | L3 |
| 10(b) | Explain briefly about Centre of Gravity using Varignon's theorem OR | 5M | 20ESX04.3 | L2 |
| 11 (a) | Determine the centroid of a triangle having base width $b$ and height $h$ | 6M | 20ESX04.3 | L3 |
| 11(b) | Locate the centroid of the following figure | 6M | 20ESX04.3 | L2 |
| 12 (a) | A man weight W Newton entered a lift, which moves with an acceleration of a $\mathrm{m} / \mathrm{sec}^{2}$. Find the force exerted by the man on the floor of lift when <br> a) Lift is moving downward <br> b) Lift is moving upward | 5M | 20ESX04.4 | L3 |
| 12(b) | A motorist travelling at a speed of 70 kmph , suddenly applies brakes and halts after 50 m . Determine <br> a) The time required to stop the car <br> b) The coefficient of friction between the tyres and the road | 7M | 20ESX04.4 | L3 |
|  | OR |  |  |  |


| 13(a) | A Particle is projected vertically upwards from the ground with an initial velocity of $u \mathrm{~m} / \mathrm{sec}$. find <br> a) The time taken to reach the maximum height <br> b) The maximum height reached <br> c) Time required for descending <br> d) Velocity when it strikes the ground. Consider the upward motion of the particle | 6M | 20ESX04.4 | L3 |
| :---: | :---: | :---: | :---: | :---: |
| 13(b) | A small Steel ball is shot vertically upwards from the top of a building 25 m above the ground with an initial velocity of $18 \mathrm{~m} / \mathrm{sec}$ <br> a) In what time, it will reach the maximum height. <br> b) How high above the building will the ball rise | 6M | 20ESX04.4 | L3 |
| 14 | Find the Power of a locomotive, drawing a train whose weight including that of engine is 420 kN up an incline 1 in 120 at a steady speed of 56 kmph , the frictional resistance being $5 \mathrm{~N} / \mathrm{kN}$. While the train is ascending the incline, the steam is shut off. Find how far it will move before coming to rest, assuming that the resistance to motion remains the same | 12M | 20ESX04.5 | L3 |
| OR |  |  |  |  |
| 15 | Derive the Work Energy equation for translation using Newton law of motion | 12M | 20ESX04.5 | L3 |

## Semester End Examination, May / June 2021 <br> Model Question Paper

| Degree |  | B. Tech. (U. G.) | Program | CE/ME |  |  | Academic Year | 2020-2021 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Course | Code | 20BSX31 | Test Duration | 3 Hrs . | Max. Marks 70 |  | Semester | II |  |
|  | Course | Engineering Physics |  |  |  |  |  |  |  |
| Part A (Short Answer Questions $5 \times 2 \mathbf{1 0}$ Marks) |  |  |  |  |  |  |  |  |  |
| No. | Questions (1 through 5) |  |  |  |  |  | Learning Outcome (s) |  | DoK |
|  | List any two difference bet |  | een Fresnel's and | Fraunhofe | diffraction |  | 20BSX31.1 |  | L2 |
| 2 | Define spontaneous and stimulated emissio |  |  | f radiation |  |  | 20BSX31.2 |  | L1 |
| 3 | Define Dielectric polarization |  |  |  |  |  | 20BSX31.3 |  | L1 |
| 4 | Define reverberation time |  |  |  |  |  | 20BSX31.4 |  | L1 |
| 5 | Define unit cell |  |  |  |  |  | 20BSX31.5 |  | L1 |
| Part B (Long Answer Questions $5 \times 12=60$ Marks) |  |  |  |  |  |  |  |  |  |
| No. | Questions (6 through 15) |  |  |  |  | Marks | Learning Outco |  | DoK |
| 6 (a) | Derive conditions for dark and bright fringes in case of thin films reflective system |  |  |  |  | 9M | 20BSX31.1 |  | L2 |
| 6 (b) | Explain the concept of coherence |  |  |  |  | 3M | 20BSX31.1 |  | L2 |
|  | OR |  |  |  |  |  |  |  |  |
| 7 (a) | Deduce conditions for central maxima and minims in Fraunhofer single slit experiment |  |  |  |  | 8M | 20BSX31.1 |  | L2 |
| 7 (b) | Derive condition for maximum orders possible with a grating |  |  |  |  | 4M | 20BSX31.1 |  | L2 |
| 8 (a) | Explain the construction and working of a Ruby laser. What are the merits of this laser? |  |  |  |  | 8M | 20BSX31.2 |  | L2 |
| 8 (b) | Interp | et any four applica | ons of lasers |  |  | 4M | 20BSX31.2 |  | L2 |
| OR |  |  |  |  |  |  |  |  |  |
| 9 (a) | Explain the classification of fibers based on modes and refracting index profile |  |  |  |  | 9M | 20BSX31.2 |  | L2 |
| 9 (b) | Explain any three applications of optical fibers |  |  |  |  | 3M | 20BSX31.2 |  | L2 |
| 10 (a) | Explain in detail the classification of magnetic materials |  |  |  |  | 8M | 20BSX31.3 |  | L1 |
| 10 (b) | Compare the differences between soft and hard magnetic materials |  |  |  |  | 4M | 20BSX31.3 |  | L2 |
| OR |  |  |  |  |  |  |  |  |  |
| 11 (a) | Define various types of polarizations in a dielectric material |  |  |  |  | 8M | 20BSX31.3 |  | L1 |
| 11 (b) | Outline the applications of dielectric materials |  |  |  |  | 4M | 20BSX31.3 |  | L2 |
| 12 (a) | Derive Sabine's formula using growth and decay method |  |  |  |  | 10M | 20BSX31.4 |  | L2 |
| 12 (b) | What | s reverberation |  |  |  | 2M | 20BSX31.4 |  | L1 |
|  | OR |  |  |  |  |  |  |  |  |
| 13 (a) | Write any one method to produce ultrasonics |  |  |  |  | 8M | 20BSX31.4 |  | L2 |
| 13 (b) | Write a brief note on applications of NDT |  |  |  |  | 4M | 20BSX31.4 |  | L1 |
| 14 | Show that the packing fraction of FCC is greater than SC and BCC |  |  |  |  | 12M | 20BSX31.5 |  | L2 |
| OR |  |  |  |  |  |  |  |  |  |
| 15 (a) | Explain Braggs law of X -ray diffraction |  |  |  |  | 6M | 20BSX31.5 |  | L2 |
| 15 (b) | Explain the powder method of X -ray diffraction |  |  |  |  | 6M | 20BSX31.5 |  | L2 |

## Semester End Examination, October, 2021

$\left.\begin{array}{l|l|l|l|l|l|c|}\hline \text { Degree } & \text { B. Tech. (U. G.) } & \text { Program } & \text { ECE } & & & \text { Academic Year } \\ \text { 2020-2021 } \\ \hline \text { Course Code } & \text { 20EE201 } & \text { Test Duration } & \text { 3 Hrs. } & \text { Max. Marks } & 70 & \text { Semester }\end{array}\right]$ II

Part A (Short Answer Questions $5 \times 2=10$ Marks)

| No. | Questions (1 through 5) | Learning Outcome (s) | DoK |
| :---: | :--- | :---: | :---: |
| 1 | Define branch, node, graph and tree of a network | 20EE201.1 | L1 |
| 2 | List any four properties of Positive real Function | 20EE201.2 | L1 |
| 3 | Define time constant and write its significance | 20EE201.3 | L1 |
| 4 | Give the conditions of Series and Parallel resonance | 20EE201.4 | L1 |
| 5 | Draw the equivalent h-parameter model of a two port network | 20EE201.5 | L1 |

Part B (Long Answer Questions $5 \times 12=60$ Marks)

| No. | Questions (6 through 15) | Marks | Learning Outcome (s) | DoK |
| :---: | :---: | :---: | :---: | :---: |
| 6 (a) | Find the mesh currents of the given network using mesh analysis | 6M | 20ESX05.1 | L3 |
| 6 (b) | State the steps followed for Tie Set Matrix with an example | 6M | 20ESX05.1 | L2 |
| OR |  |  |  |  |
| 7 (a) | Explain the procedure for nodal analysis with an example | 6M | 20ESX05.1 | L2 |
| 7 (b) | From the given graph find the Incidence matrix, Tie set matrix and Cut set matrix | 6M | 20ESX05.1 | L3 |

8 (a) | Test whether the following function is positive real or not? |
| :--- |
| $\mathrm{F}(\mathrm{s})=\left(\mathrm{S}^{\wedge} 2+6 \mathrm{~S}+5\right) /\left(\wedge^{\wedge} 2+9 \mathrm{~S}+14\right)$ |
| nd the current through the 3 |

| ohm resistor of the given |
| :--- |
| network by using |
| nuperposition theorem. |


| 9 (a) | Realize $Z(s)=\left(S^{\wedge} 3+4 S\right) /\left(S^{\wedge} 4+10 S^{\wedge} 2+9\right)$ in Cauer I forms | 6 M | $20 \mathrm{ESX05.2}$ | L3 |
| :--- | :--- | :--- | :--- | :--- |
| 9 (b) | State and explain the properties of positive real function | 6 M | $20 \mathrm{ESX05.2}$ | L2 |


| 10 | From the RLC circuit given find $i(0+)$, di/dt and d^2i/dt at $t=0+$, if the switch is closed at $t=0$ | 12M | 20ESX05.3 | L3 |
| :---: | :---: | :---: | :---: | :---: |
| OR |  |  |  |  |
| 11 (a) | Evaluate the initial conditions procedure for R.L and C | 6M | 20ESX05.3 | L2 |
| 11 (b) | For the network given the switch is moved from position 1 to position 2. under steady state condition find the value of current $i(t)$ using Laplace transform method | 6M | 20ESX05.3 | L3 |
| 12 | Derive the expression for self and mutual inductance with neat diagrams | 12M | 20ESX05.4 | L2 |
| OR |  |  |  |  |
| 13 | A series RLC circuit has to be designed so that it has a bandwidth of $320 \mathrm{rad} / \mathrm{sec}$. Inductance of the coil is 0.2 H . If it has to resonate at $3500 \mathrm{rad} / \mathrm{sec}$, determine the resistance of the coil and capacitance of the condenser. If the applied voltage 150 V , determine the voltage across across capacitor and coil. | 12M | 20ESX05.4 | L3 |
| 14 | Find the Y - parameters of the network | 12M | 20ESX05.5 | L3 |
| OR |  |  |  |  |
| 15(a) | Derive the relation between h-parameters and Z -parameters of a two port networks | 6M | 20ESX05.5 | L2 |
| 15(b) | Find the Z-parameters of the network | 6M | 20ESX05.5 | L2 |

## Semester End Examination, October, 2021

\left.| Degree | B. Tech. (U. G.) | Program | Common to All |  | Academic Year | 2020 - 2021 |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: |
| Course Code | 20BSX12 | Test Duration | 3 Hrs. | Max. Marks | 70 | Semester |$\right]$

## Part A (Short Answer Questions $5 \times 2=10$ Marks)

| No. | Questions (1 through 5) | Learning Outcome (s) | DoK |
| :---: | :--- | :---: | :---: |
| 1 | Form the PDE by eliminating arbitrary constants a and b from |  |  |
| $z=a x+b y+a^{2}+b^{2}$ | $20 \mathrm{BSX12.1}$ | L 1 |  |
| 2 | Solve $\left(\mathrm{D}-D^{\prime}\right)\left(D+D^{\prime}-3\right) z=0$ | $20 \mathrm{HSX12.2}$ | L 2 |
| 3 | Compute $\beta\left(\frac{1}{2}, \frac{1}{2}\right)$ | $20 \mathrm{HSX12.3}$ | L 2 |
| 4 | Define Solenoidal and Irrotational vectors | $20 \mathrm{HSX12.4}$ | L 1 |
| 5 | Write the Statement of Gauss divergence Theorem | $20 \mathrm{HSX12.5}$ | L 1 |

## Part B (Long Answer Questions $5 \times 12=60$ Marks)

No. Questions (6 through 15) Marks Learning Outcome (s) Dok

| 6 (a) | Form PDE by eliminating " $f$ " from $x y z=f\left(x^{2}+y^{2}+z^{2}\right)$ | 6M | 20BSX12.1 | L2 |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |

6 (b) Solve $x^{2}(y-z) p+y^{2}(z-x) q=z^{2}(x-y) \quad$ 6M $\quad$ 20BSX12.1 1

| 7 (a) | Solve $\left(\frac{p}{2}+x\right)^{2}+\left(\frac{q}{2}+y\right)^{2}=1$ | 8 M | 20 BSX 12.1 | L3 |
| :--- | :--- | :--- | :--- | :--- |
| 7 (b) | Solve $z=p x+q y+\sqrt{p^{2}+q^{2}+1}$ | 4 M | 20 BSX 12.1 | L2 |


| 8 (a) | Solve $\left(D^{2}-2 D D^{\prime}\right) z=e^{x}+x^{2} y$. | 6 M | 20 BSX 12.2 | L 3 |
| :--- | :--- | :--- | :--- | :--- |
| 8 (b) | Solve $\left(4 D^{2}-4 D D^{\prime}+D^{\prime 2}\right) z=16 \log (x+2 y)$ | 6 M | $20 \mathrm{BSX12.2}$ | L2 |


| 9 OR | OR | $\left(\mathrm{D}+D^{\prime}-1\right)\left(D+2 D^{\prime}-3\right) z=4+3 x+6 y$ | 6 M | $20 \mathrm{BSX12.2}$ |
| :--- | :--- | :--- | :--- | :--- | L 2


| 10 (a) | Prove that $\int_{0}^{\frac{\pi}{2}} \sqrt{\cot \theta} d \theta=\frac{1}{2} \Gamma\left(\frac{1}{4}\right) \Gamma\left(\frac{3}{4}\right)$ | 6 M | $20 \mathrm{BSX12.3}$ | L 3 |
| :--- | :--- | :--- | :--- | :--- |
| 10 (b) | Evaluate $\int_{0}^{a} \int_{0}^{x} \int_{0}^{x+y} e^{x+y+z} d z d y d x$ | 6 M | $20 \mathrm{BSX12.3}$ | L 2 |
| 11 (a) | Prove that $\int_{0}^{1} \frac{x}{\sqrt{1-x^{5}}} d x=\frac{1}{5} \beta\left(\frac{2}{5}, \frac{1}{2}\right)$ | OR | 6 M | $20 \mathrm{BSX12.3}$ |
| 11 (b) | Evaluate $\int_{0}^{1} \int_{0}^{\sqrt{1-x^{2}}} \frac{d y d x}{1+x^{2}+y^{2}}$ | 6 M | $20 \mathrm{BSX12.3}$ | L 2 | Find the Directional Derivative of the function

12 (a) | $f=x y z^{2}+x z$ | at the point $(1,1,1)$ in a direction of the | 6 M | 20BSX12.4 | L 3 |
| :--- | :--- | :--- | :--- | :--- |

|  | (1, 1, 1). |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 12 (b) | Show that $\left(x^{2}-y z\right) \bar{\imath}^{-}+\left(y^{2}-z x\right) \bar{\jmath}-\left(z^{2}-x y\right) \bar{k}$ is irrotational and hence find scalar potential | 6M | 20BSX12.4 | L3 |
| OR |  |  |  |  |
| 13 (a) | If $\bar{F}=\operatorname{grad}\left(x^{3}+y^{3}+z^{3}-3 x y z\right)$ Find div $\bar{F}$ and $\operatorname{curl} \bar{F}$ | 6M | 20BSX12.4 | L3 |
| 13 (b) | Prove that $\operatorname{div}\left(\operatorname{grad} r^{m}\right)=m(m+1) r^{m-2}$ | 6M | 20BSX12.4 | L2 |
| 14 | Verify Green's theorem for $\left.\int_{c}\left[x y+y^{2}\right] d x+x^{2} d y\right]$, where C is bounded by $y=x$ and $y=x^{2}$ | 12M | 20BSX12.5 | L3 |
| OR |  |  |  |  |
| 15 | Verify Stoke's theorem for $\bar{F}=\left(x^{2}+y^{2}\right) \bar{\imath}-2 x y \bar{\jmath}$ taken around the rectangle bounded by the lines $x= \pm a, y=0, y=\mathrm{b}$ | 12M | 20BSX12.5 | L3 |

Semester End Examination, October, 2021

| Degree | B. Tech. (U. G.) | Program | ECE |  | Academic Year | $2020-2021$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: |
| Course Code | $20 E C 201$ | Test Duration | 3 Hrs. | Max. Marks | 70 | Semester |
| Course | Principles of Electronics \& Communication Systems |  |  | II |  |  |


| Part A (Short Answer Questions $5 \times 2=10$ Marks) |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| No. | Questions (1 through 5) |  | Learning Outcome (s) | DoK |
| 1 | Define law of mass action |  | 20EC201.1 | L1 |
| 2 | What is virtual ground? |  | 20EC201.2 | L1 |
| 3 | What is the difference between continuous time and discre signals? | e time | 20EC201.3 | L1 |
| 4 | Define Sampling |  | 20EC201.4 | L1 |
| 5 | Define critical angle |  | 20EC201.5 | L1 |
| Part B (Long Answer Questions $5 \times 12=60$ Marks) |  |  |  |  |
| No. | Questions (6 through 15) | Marks | Learning Outcome (s) | DoK |
| 6 (a) | Describe the terms intrinsic and extrinsic semiconductors of both $P$ type and $N$ type | 6M | 20EC201.1 | L1 |
| 6 (b) | State and explain the Hall Effect. Mention its applications | 6M | 20EC201.1 | L2 |
| OR |  |  |  |  |
| 7 (a) | Explain the drift and diffusion currents of a semiconductor | 6M | $20 \mathrm{CS403.1}$ | L2 |
| 7 (b) | Explain about Fermi level in intrinsic and extrinsic semiconductor materials | 6M | 20CS403.1 | L2 |
| 8 (a) | Draw the block schematic of an op-amp and briefly explain each block | 6M | 20EC201.2 | L2 |
| 8 (b) | Obtain the closed loop gain for ideal non inverting amplifier | 6M | 20EC201.2 | L1 |
| OR |  |  |  |  |
| 9 (a) | List and explain the characteristics of an ideal op-amp | 6M | 20EC201.2 | L1 |
| 9 (b) | Draw and explain the pin diagram of IC 7410p-amp | 6M | 20EC201.2 | L2 |
| 10 (a) | List and state all the elementary continuous time signals | 6M | 20EC201.3 | L1 |
| 10 (b) | Explain the elements of communication system | 6M | 20EC201.3 | L2 |
| OR |  |  |  |  |
| 11 (a) | Explain the need for Modulation | 6M | 20EC201.3 | L2 |
| 11 (b) | What is amplitude modulation and write its mathematical expression with neat diagrams | 6M | 20EC201.3 | L1 |
| 12 (a) | Explain natural Sampling and Flat-top Sampling | 6M | 20EC201.4 | L2 |
| 12 (b) | With a neat sketch, explain the principle and operation of PCM | 6M | 20EC201.4 | L2 |
| OR |  |  |  |  |
| 13 (a) | Sketch the block diagram of BASK generation. Draw the BASK waveform for the data 101110101 | 6M | 20EC201.4 | L2 |
| 13(b) | With a neat diagram explain about TDM | 6M | 20EC201.4 | L2 |
| OR |  |  |  |  |
| 14(a) | Draw and explain the working principle of an Optical Communication system | 6M | 20ESX02.5 | L2 |
| 14 (b) | What are different optical Transmitters and receivers and explain about LASER | 6M | 20ESX02.5 | L2 |


| OR |  |  |  |  |  |  |  |  |
| :---: | :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 15(a) | Draw and explain the working principle of a Cellular Mobile <br> Communication system | 6 M | 20EC201.5 | L2 |  |  |  |  |
| 15(b) | Differentiate Analog and Digital Cellular Network Systems | 6 M | 20EC201.5 | L2 |  |  |  |  |

## Semester End Examination, October, 2021

| Degree | B. Tech. (U. G.) | Program | EEE |  |  | Academic Year | 2020-2021 |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: | :---: |
| Course Code | 20CS403 | Test Duration | 3 Hrs. | Max. Marks | 70 | Semester | II |
| Course | PYTHON PROGRAMMING |  |  |  |  |  |  |


| Part A (Short Answer Questions $5 \times 2 \mathbf{1 0}$ Marks) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| No. | Questions | rough 5) |  | Learning Outcome (s) | Dok |
| 1 | Write abou | ut \& Output functions |  | 20CS403.1 | L1 |
| 2 | What is a | espace? |  | $20 \mathrm{CS403.2}$ | L1 |
| 3 | What are d | lt \& keyword arguments? |  | $20 \mathrm{CS403.3}$ | L1 |
| 4 | Define clas | bject in python |  | 20CS403.4 | L1 |
| 5 | What is Ma | tib? |  | 20CS403.5 | L1 |
| Part B (Long Answer Questions $5 \times 12=60$ Marks) |  |  |  |  |  |
| No. | Questions | rough 15) | Marks | Learning Outcome (s) | Dok |
| 6 (a) | What are dif | ent applications of Python? Give examples | 4M | 20CS403.1 | L1 |
| 6 (b) | List out ope <br> i. Bitwise | ors. Explain the following operators with example <br> ii. Identity <br> iii. Membership | 8M | 20CS403.1 | L2 |
| OR |  |  |  |  |  |
| 7 (a) | Discuss bo | ariables and assignments | 6M | 20CS403.1 | L2 |
| 7 (b) | Write a Pyth cm. [1 feet inch Samp | program to convert height in feet and inches to 2 inch and 1 inch $=2.54 \mathrm{~cm}$ (Sample input: 2 feet 7 utput: 78.74 cm ) | 6M | 20CS403.1 | L3 |
| 8 (a) | Describe P | n jump statements with examples | 6M | 20CS403.2 | L2 |
| 8 (b) | Write a Pyth not | program to find the given number is palindrome or | 6M | 20CS403.2 | L3 |
| OR |  |  |  |  |  |
| 9 (a) | Explain abo | data encryption in python | 5M | 20CS403.2 | L2 |
| 9 (b) | Discuss abo | dictionaries in Python | 7M | 20CS403.2 | L2 |
| 10 (a) | Explain abour | equired and variable-length arguments. | 6M | $20 \mathrm{CS403.3}$ | L2 |
| 10 (b) | What is $r$ example | sion? Explain the recursion concept with suitable | 6M | 20CS403.3 | L3 |
| OR |  |  |  |  |  |
| 11 (a) | Discuss in | il about the import statement | 6M | $20 \mathrm{CS403.3}$ | L2 |
| 11 (b) | Write a brie | te on PIP. Explain installing packages via PIP | 6M | 20CS403.3 | L1 |
| 12 (a) | Write a C p author and structure contents | ram to maintain a book structure containing name, ges as structure members. Pass the address of ble to a user defined function and display the | 6M | 20CS403.4 | L2 |
| 12 (b) | Define a str numbers $x$ initial value | ure called complex consisting of two floating point $y$ and declare a variable p of type complex. Assign 0 and 1.1 to the members | 6M | 20CS403.4 | L2 |
| OR |  |  |  |  |  |
| 13 | Compare usage of accessing | differences between structure and union. Explain cture in terms of definition, declaration and mbers with syntax and example | 12M | 20CS403.4 | L2 |


| 14 | With syntax and example describe the following file handling functions a. fopen() b. fclose() c. fread() d. fwrite() e. fscanf() f. fprintf() | 12M | 20CS403.4 | L2 |
| :---: | :---: | :---: | :---: | :---: |
| OR |  |  |  |  |
| 15 (a) | Describe pre-processor directives | 6M | 20CS403.5 | L2 |
| 15 (b) | Write a program for adding two integers and display the sum by taking input through command line arguments | 6M | 20CS403.5 | L2 |

